



Hasky Plotter



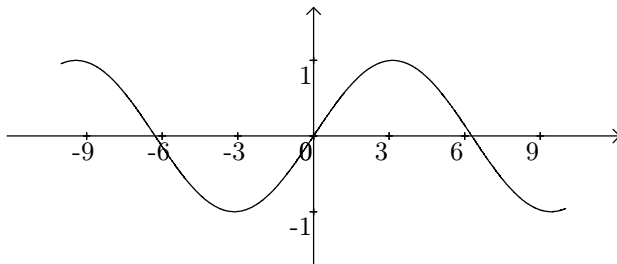
(a small function-plotter written in Haskell for $\text{T}_{\text{E}}\text{X}_{\text{MACS}}$)

1] Cartesian single curve (function of variable x only)

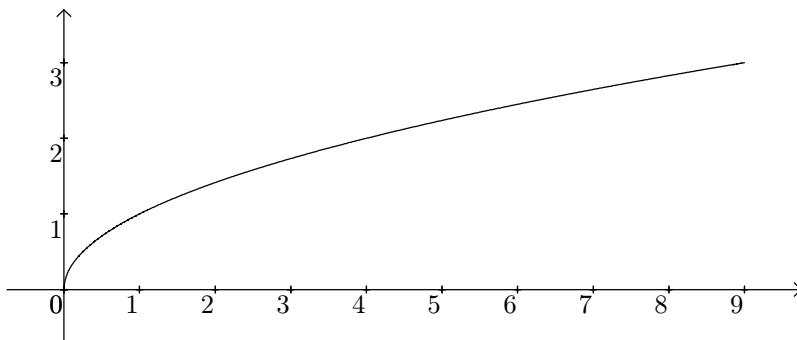
plot $f(x)$ (x_1, x_2)

Examples:

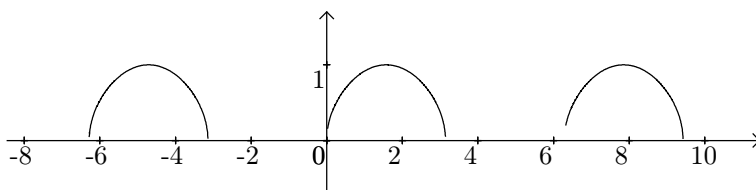
HP] plot $\sin(x)$ (-3,3)



HP] plot \sqrt{x} (0,9)



HP] plot $\sqrt{\sin(x)}$ (-7,10)

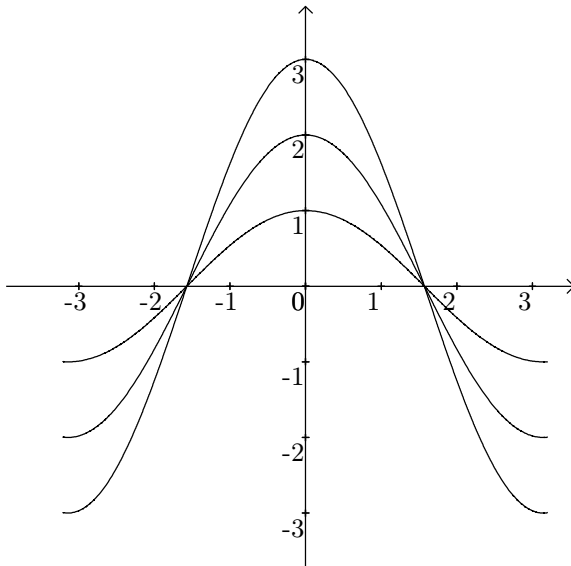


2] Set of n cartesian curves (functions of variable x only)

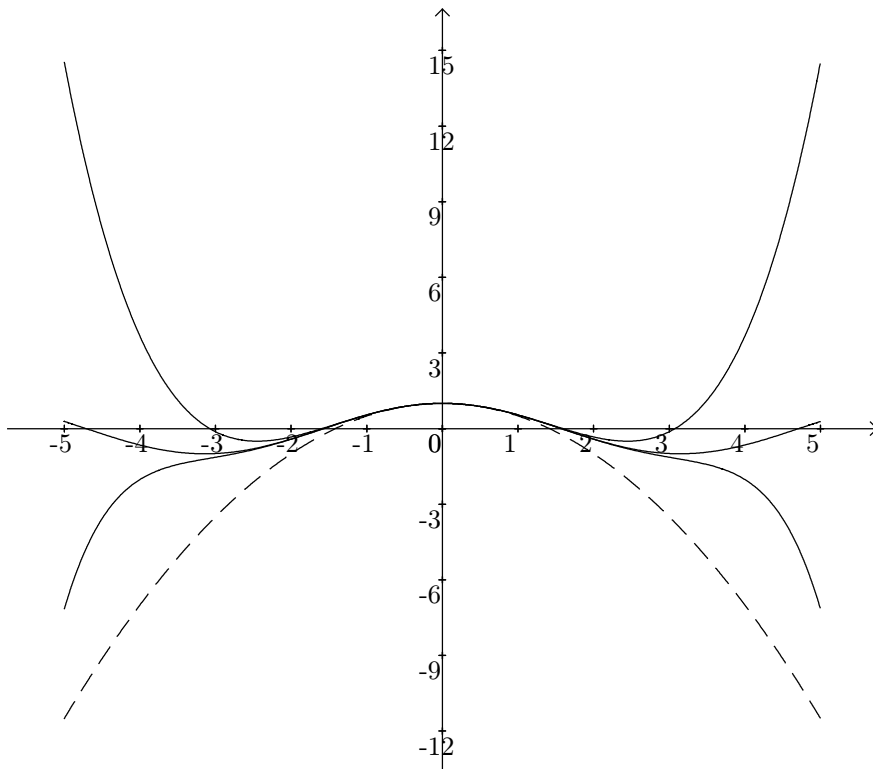
plots $f_1(x)|f_2(x)|\dots|f_n(x)$ (x_1,x_2)

Examples

HP] plots $\cos(x)|2*\cos(x)|3*\cos(x)$ (-3.2,3.2)



HP] plots $1-x^2/2|1-x^2/2+x^4/24|1-x^2/2+x^4/24-x^6/720|\cos(x)$ (-5,5)

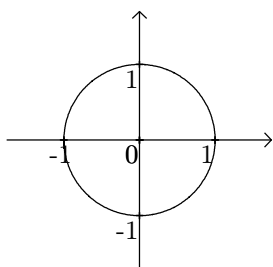


3] Parapetric single curves (x and y functions of parameter t only)

paramplot $x(t),y(t)$ (t_1,t_2)

Example

HP] paramplot $\cos(t),\sin(t)$ (-3.1,3.2)

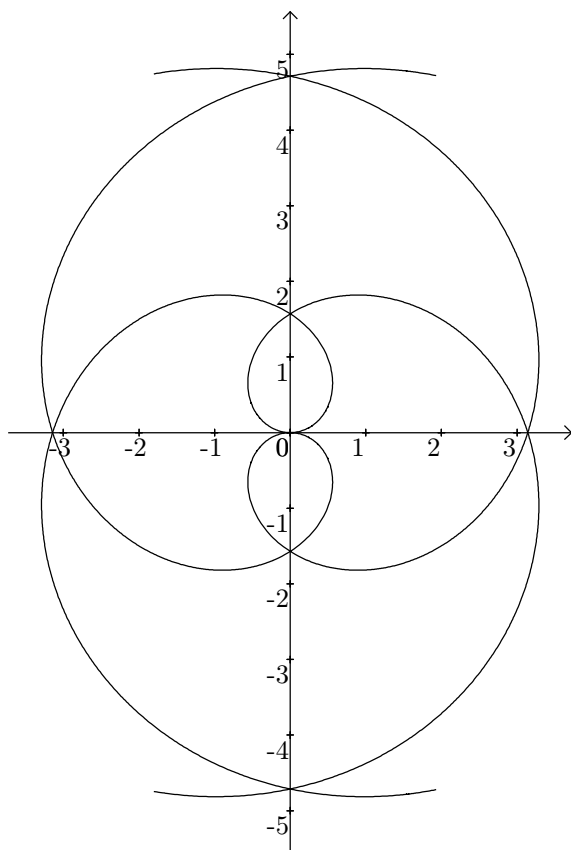


4] Set of n parapetric curves (x and y functions of parameter t only)

paramplots $x_1(t),y_1(t)|x_2(t),y_2(t)|\dots|x_n(t),y_n(t)$ (t_1,t_2)

Example

HP] paramplots $t*\cos(t),t*\sin(t)|t*\cos(t),(-t)*\sin(t)$ (-5,5)



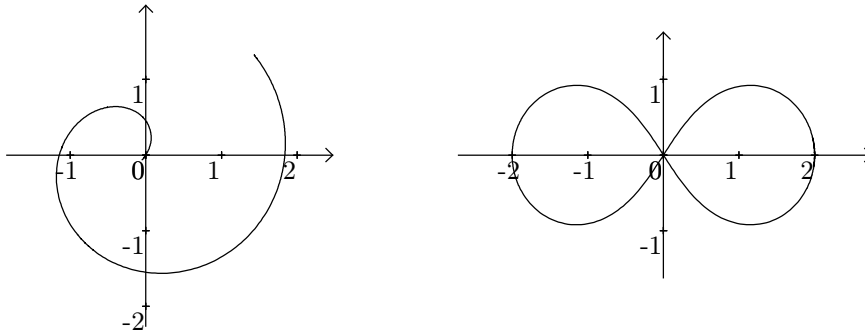
5] Polar (parapetric) single curves (r and θ as functions of t only)

polarplot $r(t),\theta(t)$ (t_1,t_2)

Exemples

HP] polarplot $\log(t),t$ (0,6.3)

HP] polarplot $2*\cos(t),\sin(t)$ (0,6.3)

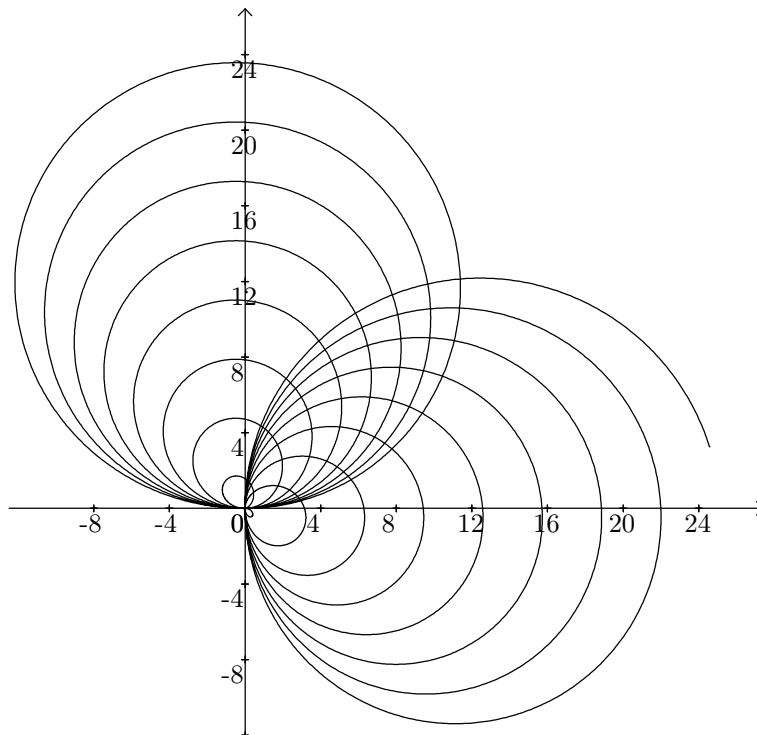


6] Set of n polar (parapetric) curves (r and θ as functions of t only)

polarplots $r_1(t),y_1(t)|x_2(t),y_2(t)|\dots|x_n(t),y_n(t)$ (t_1,t_2)

Example

HP] polarplots $t*\sin(t),t|t*\cos(t),-t$ (0,25)

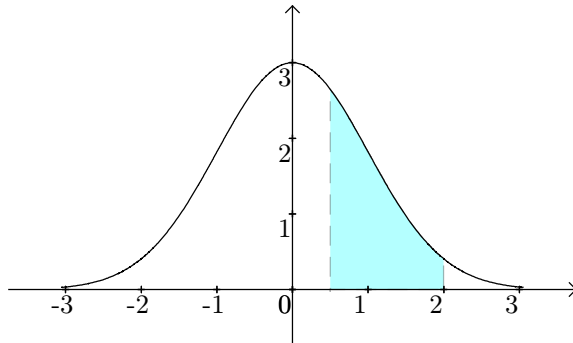


8] Surface between an curve, the x – axis and the verticals at $x = a$ and $x = b$.

integral $f(x)$ (x_1, x_2) (a, b)

Example

HP] integral $3*\exp(-x^2/2)$ (-3,3) (0.5,2)



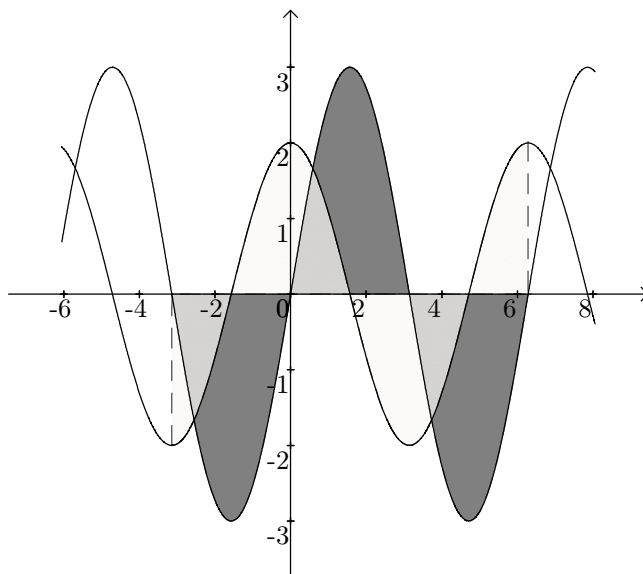
9] Sets of n cartesian curves and m surfaces (generalisation of plots and integral)

plotsMixt $f_1(x)|f_2(x)|\dots|f_n(x)$ $g_1(x)|g_2(x)|\dots|g_m(x)$ (x_1, x_2) (a, b)

as a result, hp will plot the curves of $\{f_i(x)\}_{i=1\dots n}$ and the surfaces of $\{g_i(x)\}_{i=1\dots m}$.

Example

HP] plotsMixt $3*\sin(x)|2*\cos(x)$ $3*\sin(x)|2*\cos(x)$ (-6,8) (-3.14,6.28)



Using Suffixes:

We can add the suffixes **C** and **InRange** to most of the functions introduced below.

C : For considering the curve as closed (using *cspline* of TeXmacs in place of *spline*)

InRange : For specifying the interval of the images.

Notices:

- i) The use of **C** doesn't test if the curve is actually closed. It will just force it to be.
- ii) The use of **InRange** requires the parameters (ymin,ymax) to specify the range.
This parameter, a couple (y_{\min}, y_{\max}), has to be added at the very end of the command.

For example:

plot "sin(x)" "(-3,3)" would become : plot**InRange** "sin(x)" "(-3,3)" "**(-2,2)**"

- iii) **C** and **InRange** can be used together, (only) by adding the composite suffixe **CInRange**.

The table below summerizes the possible combinations

instruction	+ suffixe		
	C	InRange	both C & InRange
plot	(*)	plot InRange	
plots		plots InRange	
integral		integrals InRange	
plotsMixt		plotsMixt InRange	
paramplot	paramplot C	paramplot InRange	paramplot CInRange
paramplots	paramplots C	paramplots InRange	paramplots CInRange
polarplot	polarplot C	polarplot InRange	polarplot CInRange
polarplots	polarplots C	polarplots InRange	polarplots CInRange

- (*) C is not implemented for cartesian curves, as it rarely make sense to consider such a curve as closed. In order to show the surface between the curve and the x - axis, it is more convenient to use Integral (see [8])

Example with the suffixe **InRange**

Using plots with a set $\{f\}$ of functions for $x_1 < x < x_2$ will draw the curves considering $\min(\{f\})_{\{x\}} \leq y \leq \max(\{f\})_{\{x\}}$.

That may be not very convenient if the functions of set $\{f\}$ have ranges of different orders.

We can improve the representation by specifying another range. (Figure 2 : $-5 \leq y \leq 5$)

HP] plots `sin(x)|x|x^3-3*x (-3,3)`

HP] plotsInRange `sin(x)|x|x^3-3*x (-3,3) (-5,5)`

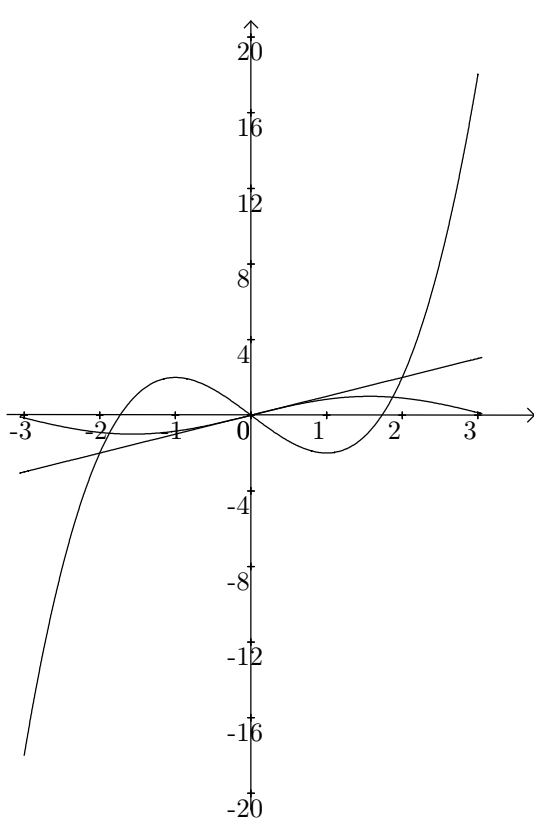


fig.1

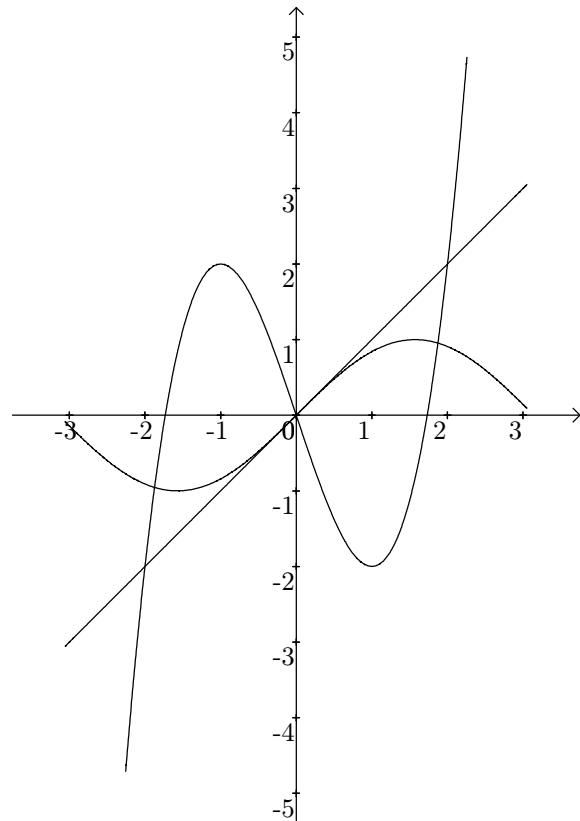
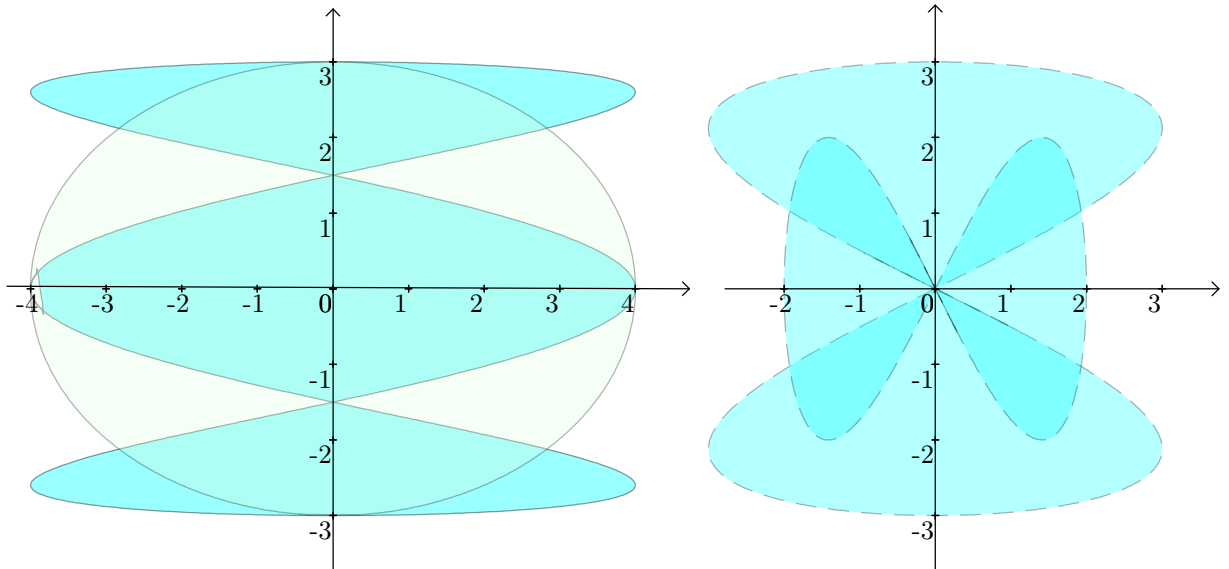


fig.2

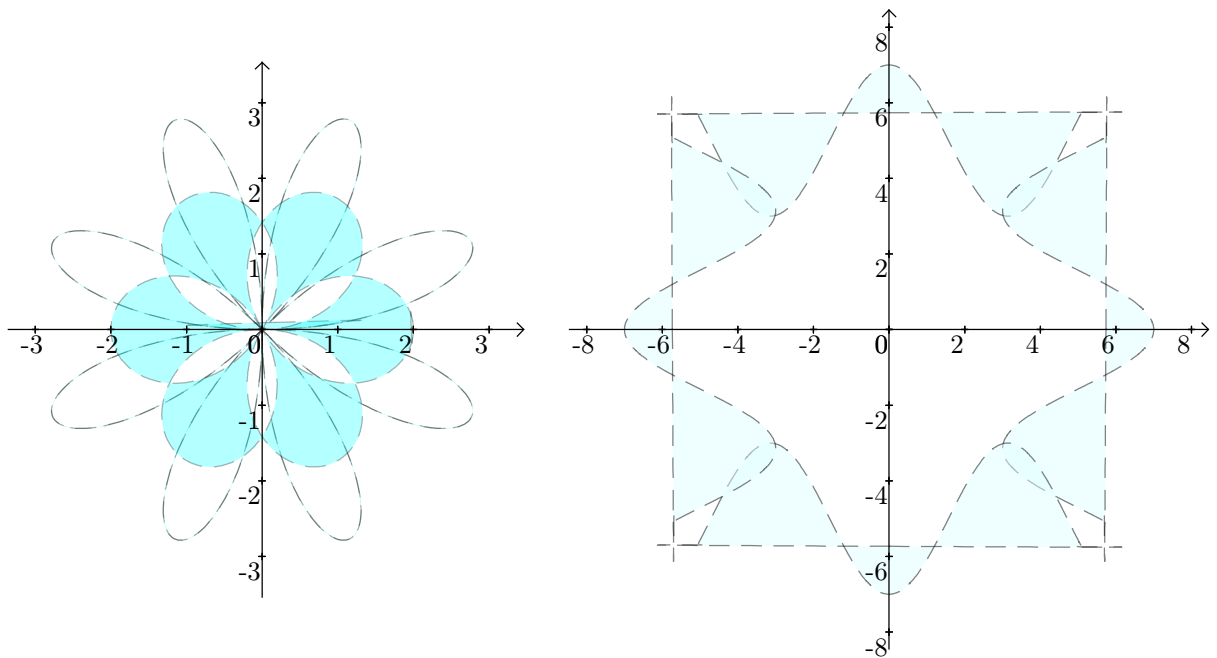
Examples with the suffix C

HP] `paramplotsC 4*cos(3*t),3*sin(t)|4*cos(t),3*sin(t) (-3.14,3.14)`

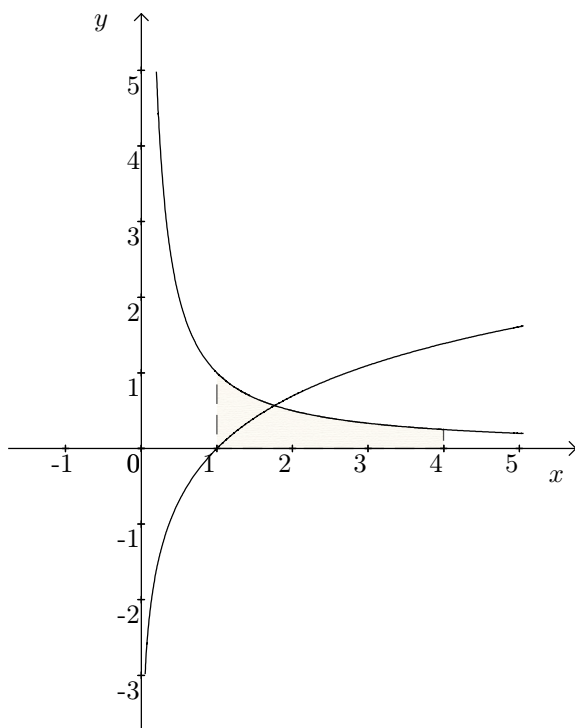
HP] `paramplotsC 3*sin(2*t),3*sin(t)|2*sin(t),2*sin(2*t) (-3.2,3.2)`



HP] `polarplotsC 3*sin(6*t),t|2*cos(1.5*t),t (0,12.57)`



HP] plotsMixtInRange log(x)|1/x 1/x (-1,5) (1,4) (-3,5)



HP] plotsMixtInRange (x-2)^2/4+1|1|log(x+1)/log(3) (x-2)^2/4+1|1 (0,2) (0,2)
(0,2)

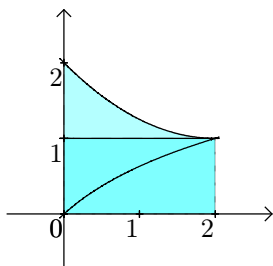


fig.1

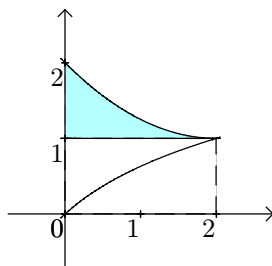


fig.2

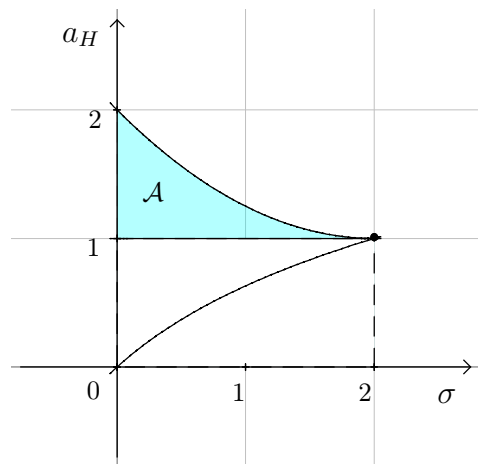


fig.3

fig.2 is produced from fig.1 by colouring one element of the surface in white, with opacity 100%.
fig.3 is produced from fig.2 by changing the unit (1.7cm) and adding some text.